# **Beam energy measurement** using Time-of-Flight and **innovative Ultra-Fast Silicon Detectors** in proton therapy

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# Outline

- Motivation
- Ultra Fast Silicon Detector (UFSD)
- Energy measurement using Time of Flight (TOF)
- Experimental setup and Fast waveforms analysis
- UFSD telescope
- Validation and experimental measurements
- Conclusions
- Ongoing works

**Motivation** 

- Implementation of advanced radiobiological models in ion TPS, experimental verification in-vitro and in-vivo
- Development and upgrade of the INFN irradiation facilities incl. advanced monitoring systems

Development of two prototypes of UFSD beam monitoring devices for radiobiological applications @ three irradiation facilities:

- 1. to **directly count** individual protons.
- 2. to **measure the beam energy** with time-of-flight techniques, using a telescope of two UFSD sensors
  - error < 1 mm range in water</p>



For additional details <u>http://www.tifpa.infn.it/projects</u> <u>/move-it/</u>

### Motivation



### **Motivation**



parameters

particles

### Ultra Fast Silicon Detector (UFSD)



(Look at the references for more details about UFSD)

### Ultra Fast Silicon Detector (UFSD)





Hamamatsu 4 pad (3x3) mm<sup>2</sup>, 80 μm active thickness (2018)

11 strips,
pitch 590 μm
50 μm active thickness
(2019-2020)



### Energy measurement using TOF



- In Vacuum 
$$K_1 = K_2 = K_{avg}$$

$$v_{avg} = \frac{d}{TOF}$$

$$K_{avg} = E_o \left( \frac{1}{\sqrt{1 - \left(\frac{v_{avg}}{c}\right)^2}} - 1 \right)$$



- We are interested in K<sub>0</sub>. Need to consider the energy loss in sensor 1.
- The telescope will work in the air. Need to consider the energy loss in the air.  $K_1 \neq K_2 \neq K_{avg}$ .
- We have a time offset added to the TOF due to electronics. What we really measure is:  $\Delta t = TOF + offset$ , then  $TOF = \Delta t offset$ 
  - We need to include some corrections!!!



### Energy measurement using TOF



Data used to test the theoretical equations with and without corrections

# A protons info database was done with Monte Carlo simulations using GEANT4.

- Protons energies: 60 MeV to 230 MeV (1 MeV steps). 10<sup>6</sup> protons by energy.
- 15 positions between 2 cm to 100 cm (red planes).
- Information saved in the sensitive detectors:
  - X, Y coordinates
  - Global time
  - Particle energy

### Energy measurement using TOF

Energy difference calculated using the simulated TOF at the possible telescope distances (7cm, 37cm, 67cm and 97cm):



The correction works well with simulated data!!!

But in practice we have:

- An unknown time offset added to the TOF.

- Systematics errors in the sensor's distances and positioning.

- And the most important: How is it possible to identify individual protons in the signals from S1 and S2 to extract the TOF?

- Without the corrections: the energy differences are hundreds of keV
- With the corrections: the differences are less than 10 keV.

### Experimental setup



### **Experimental setup**



1. Zero level determination using the mode.



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- 2. If the signal is over a threshold, the proton arrival time is determined as the 80% of the peak maximum. (constant fraction).



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- 4. All the  $\Delta t$  are then grouped in a histogram.



5. Double Gaussian fit (red curve) to extract the true-coincidences peak.

6. Additional Gaussian fit to determine  $\Delta t_{mean}$  within 1.5  $\sigma$  of the true-coincidences peak.

- Using this method we are able to analyze the data at the same transfer rate they are received from the digitizer (for 2 signal configuration). Making possible the online analysis in the future. Now we are doing only offline analysis, saving the waveforms.
- For the 16 signals configuration, parallel computing could be explored in the future for online analysis.



### UFSD telescope overview



### UFSD telescope software

#### SIGNAL ANALYSIS APP (MATLAB)

Signal Analysis (Timing)	Signals simulation	Geant and Weig	htfield info System	Calibration Preferences
Folder C:\Users\fel	ix\Desktop\UFSD Simulati	ions	Data Simulated	Analysis result
w1_1         v           w1_2         v           w2_2         v           w3_2         v           w4_2         v           w5_2         v           w6_2         v           w7_2         v           w8_2         v           Load data in         1           Signal Thresold         Constant fraction	$v2_1$ $w3_1$ $w4_1$ $v2_1$ $v3_1$ $v4_1$ $v2_2$	w5_1       w6_1         ✓       ✓	w7_1       w8_1         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         x       x         w       x         x       x         x       x         x       x         x       x         x       x         x       x         y       x         x       x         y       x         x       x         y       x         y       x         y       x         y       x         y       x         y       x         y       x         y       x	$\label{eq:second} \begin{array}{llllllllllllllllllllllllllllllllllll$
min. pileup peak	size 2 - sensor's distar time off	Second fit h width (sigma fracti nce (mm) 999 fset (ps) 10 ensor thickness (un	alf on) 2 * 9 ± 0.1 0 ± 0 n) 100	Second fit done using 1rs fit: x_mean (48.889) +/- sigma1 (0.415) * factor ( 2.0) fit2 = General model Gauss1: fit2(x) = a1*exp(-((x-b1)/c1)^2) Coefficients (with 95% confidence bounds): a1 = 1666 (1634, 1697) b1 = 48.89 (48.89, 48.9) c1 = 0.3352 (0.3279 0.3425)

#### Settings:

- Combinations, event range, threshold, samples window (10 ns default), constant fraction (80% def.), bin size, pile-up removal.

### UFSD telescope software

#### SIGNAL ANALYSIS APP (MATLAB)

Signal Analysis (Timing) Signals simulation	n Geant and Weightfield info	System Calibration Preferences		
Folder       C:\Users\felix\Desktop\UFSD Simu         w1_1       w2_1       w3_1       w4_2         w2_2       2       2       2       2         w3_2       2       2       2       2       2         w4_2       2       2       2       2       2       2         w6_2       2       2       2       2       2       2       2         w6_2       2<	Jations       Data Simu         1       w5_1       w6_1       w7_1       1         2       2       2       2       2         2       2       2       2       2         2       2       2       2       2         32 quadrant       unched       32 quadrant       unched         Final Event       20000 ÷       ✓ Invert         20000 ÷       ✓ Invert       10         Samples window       9       9         stance (mm)       999.9 ±       10         e offset (ps)       100 ±       100 ±         sensor thickness (um)       100 ±       100 ±	Analysis result  Analysis result  Analysis result  Analysis result  Analysis result  Analysis result  Number of events: 20000 / Samples: 20480000 Analysis initial Event: 2000  Signal Threshold value: 200 Constant fraction: 0.80 Samples window: 50 and bin size: 0.050000  Coincidents matrix 407 408 425 443 422 413 367 342 562 531 620 552 531 7 465 628 624 662 717 631 610 623 587 695 743 757 750 768 803 740 664 724 734 778 781 806 798 782 740 637 706 743 710 801 824 768 727 552 593 708 651 732 682 712 691 411 469 497 512 536 530 514 579  First fit result fit1 =  General model Gauss2: fit1(x) = a1*exp(-((x-b1)/c1)*2) + a2*exp(-((x-b2) Coefficients (with 95% confidence bounds): a1 = 619.3 (563.2, 675.4) b1 = 48.89 (48.85, 48.93) c1 = 0.5887 (0.525.0, 0.6482) a2 = 67.06 (-86.95, 221.1) b2 = -2.367 (-26.75, 22.02) c2 = 7.539 (-7.901, 22.98)  Second fit done using 1rs fit x_mean (48.889) +/- fit2 =  General model Gauss1: fit2(x) = a1*exp(-((x-b1)/c1)*2) Coefficients (with 95% confidence bounds): a1 = 1666 (1634, 1697) b1 = 48.89 (48.89, 48.9) c1 = 0.3352 (0.3279, 0.3425)	10000 9000 - 8000 - 7000 - Stime_max = 2.0270 (± 0 N <sub>Touli</sub> = 179273. N <sub>25100</sub> d= 100 (um, L = 199.9 [ d= 100 (um, L = 199.9 [ K1 = 61.891 (± 0.095) K1 = 61.891 (± 0.096), 4000 - 3000 - 2000 -	0010) <sub>ATLB</sub> (± 0.0002) <sub>Cal</sub> [ns] 4) <sub>ATLB</sub> (± 0.0002) <sub>Cal</sub> [ns] 4) <sub>ATLB</sub> [ns] = 112004 (foldy subtracted) im), timeOffset= 100 (± 0) [ps] ATLB (± 0.009) <sub>Cal</sub> [MeV] Is (± 0.009) <sub>Cal</sub> [MeV]

#### Settings:

Combinations, event range, threshold, amples window (10 ns default), constant raction (80% def.), bin size, pile-up removal.

#### out:

- nean delta time ( $\Delta t_{mean}$ ), pre-calculated roton energy (if time off-set and sensor's istances are defined), and its errors.
- igures of histograms and its fits.

9000 Δtime<sub>mean</sub> = 2.0271 (±0.0007)<sub>MTLB</sub> (±0.0001)<sub>Cal</sub> Sigma= 0.0472 ( ± 0.0010)<sub>MTLB</sub> [ns] .= 112004

9.2

9.4

9.6 9.8 10

10.2

samples(0.2ns)

10.4 10.6 10.8

11 11.2

d= 100 [um], L= 199.9 [mm], timeOffset= 100 ( ± 0) [p K<sub>avo</sub> = 61.774 (±0.084)<sub>MTLB</sub> (±0.069)<sub>Cal</sub> [MeV K1= 61.886 ( ± 0.085 )<sub>MTLB</sub> ( ± 0.069)<sub>Cal</sub> [MeV] K0= 62.080 ( ± 0.085 )<sub>MTLB</sub> ( ± 0.069)<sub>Cal</sub> [MeV]



### How can the system be validated?

### 1- Using simulated data.

A MATLAB application was prepared to simulate the UFSD telescope response to different proton beams and sensor distances.

### 2- Measuring well-known proton energies.

Five beam energies were measured at CNAO (Pavia, Italy) using the UFSD telescope at four different distances. The CNAO nominal energy precision is 0.1%.

### Validation with simulated data



Input:

- Proton GEANT4 database to extract the TOF.
- Simulation of the signals generated by protons in the UFSD using (Weighfield2)

#### Settings:

- time distribution (Poissonian by default.)
- Noise level and type, signal level offset, delta time offset, sampling frequency, peaks amplitude, sensor's distance, number of events.

### Validation with simulated data

#### SIGNAL SIMULATION APP (MATLAB)

	TIMING WITH UFSD (CTT-UFSD). v1	I.29 Movelt Project. January 2020			
gnal Analysis (Timing) Signals simulation Geant and Weigh	tfield info System Calibration Preferences				
. Load Database	3. Signals simulation	Simulation elapsed time is 174.70 seconds			
Protons info file: C:\Users\felix\Desktop\UFSD Simulations\Pr	Time distribution type Poissonian 🔻	Sensor1: position: 0.1mm, strips: 2 to 9 Sensor2: position: 1000mm, strips: 2 to 9			
Waves info file C:\Users\felix\Det Amplitude: 1500	Sampling frequency (MHz) 5000	counts distribution in sensor1 strips (total=209284) 10200 + 14314 - 18813 - 22641 - 25370 - 26498 - 25347 - 22969 18744 - 14258 - 10135			
Load proton info Num. protons: 999854	Simulated pulse rate (MHz) 100	counts distribution in sensor 2 strips (total=58268) 4875 4993 5281 5597 5682 5738 5688 5607 5382			
	Dutty cycle (0 to 1) 1	de/U deao coincidences matrix 11x11			
. Sensor setup	Bunch frequency (MHz) 0	266 232 228 239 243 228 21 165 147 114 113 339 343 340 358 310 273 273 270 224 198 178			
Sensor 1 Sensor 2 Position: 0.1mm Position: 1000mm P	Number of events 20000	320 366 378 414 423 367 332 362 326 269 251 383 388 422 483 448 455 448 416 353 344 319 339 427 435 436 459 461 458 470 405 429 395			
		335 345 392 424 406 460 470 467 419 382 373 258 290 329 388 353 435 371 446 403 422 352 155 193 242 264 272 282 309 290 330 338 283			
	✓ Invert signals     ✓ Crop signals     fig in new window     Min     0	103 138 147 167 188 193 215 260 238 258 229 68 79 89 105 112 138 164 152 191 185 185			
	3 tig. events Max 4095	Output filename simulation_62MeV_1000mm_info.txt			
	Cimulate signale	Save simulation			
Noise type White hoise V time biset (ps)	Simulate signals				
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		wave <sub>71</sub> .dat			
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Input:

- Proton GEANT4 database to extract the TOF.
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#### Settings:

- time distribution (Poissonian by default.)
- Noise level and type, signal level offset, delta time offset, sampling frequency, peaks amplitude, sensor's distance, number of events.

#### Output

- 16 simulated waveforms, in the same CAEN digitizer format. (easy to analyse).
- 8x8 matrix of true  $\Delta t_{means}$
- 8x8 matrix of true numbers of coincidences

### Validation with simulated data

		Distance between sensors (x <sub>i</sub> ) [mm]					
Nominal K <sub>0</sub> [MeV]	200	300	400	600	800	1000	
62	2,027 ns	2,993 ns	3,960 ns	5,896 ns	7,836 ns	9,778 ns	
105	1,626 ns	2,391 ns	3,155 ns	4,684 ns	6,214 ns	7,745 ns	e
150	1,415 ns	2,074 ns	2,733 ns	4,051 ns	5,371 ns	6,689 ns	
180	1,326 ns	1,939 ns	2,553 ns	3,780 ns	5,007 ns	6,235 ns	
227	1,223 ns	1,786 ns	2,349 ns	3,474 ns	4,600 ns	5,726 ns	



- The deviations are found to be always smaller than 200 keV for all the distances.

- The range discrepancies remained within half millimetre complying with the clinical requirements of 1mm tolerance.

> Energy to water range conversion done by the empirical Bragg-Kleman rule.

### Validation with experimental measurements

# 

#### Proton Beam from synchrotron

- **Beam FWHM** ~ 10 mm
- Max flux
   ~ 10<sup>9</sup> p/s delivered in spills

# Beam flux range:20% - 100% of max flux.

Beam energy range:
 58 – 227 MeV (5 – 2 MIPs)



- 4 distances= 7, 27, 67, 97 cm
- 5 energies= 58 227 MeV
- 2 HPK pad sensors (150 mm total thickness, 80 mm active thickness)
- 1 pad from each sensor

### Validation with experimental measurements



 $\Delta t_{mean}$  measured at CNAO for the 5 different beam energies and the 4 distances between the 2 sensors. They were linearly interpolated for each beam energy. The intercepts provide the time offset, however the final value comes out from a global calibration done using all the data.

### Validation with experimental measurements



The deviations for the tests at 67 and 97 cm are found to be always smaller than 0.5 MeV. The range discrepancies remained within half millimetre for the lower energies and within 1 millimetre for the maximum energy, complying with the clinical requirements.

## Energy measurement at TIFPA (TRENTO - IT)





#### **Proton Beam from cyclotron**

- Beam FWHM 3-7 mm
- Beam flux 10<sup>6</sup> - 10<sup>10</sup> p/s
- Beam current range: 1 nA – 320 nA
- Beam energy range:
   68 228 MeV
- 3 distances= 27, 67, 97 cm
- 6 energies= 68 228 MeV
- 2 FBK thinned sensors (70 and 120 μm total thickness, 50 μm active thickness)
- 2 strips from each sensor

### Energy measurement at TIFPA (TRENTO - IT)



Here the deviation of the measured beam energy lies within the clinically acceptable range uncertainty (< 1mm), for the largest distance 97cm. However there are large error bars comes from the uncertainties on the nominal energies. They were measured using ionization chamber with 0.5MeV- 1MeV uncertainty.

### Conclusion

- UFSD is a promising new technology for beam qualification and monitoring in Particle Therapy because of its excellent time resolution and very short signal durations.
- > A methodology to determine the beam energy, which accounts for the energy loss in the sensors and in the air, was developed and benchmarked against Monte Carlo simulations.
- Measurements were performed at CNAO at TIFPA. The energies determined with the system were compared with nominal values.
- For distances between sensors of 67 cm and 97 cm, the deviations and errors are of hundreds of keV, corresponding to range in water smaller than the clinical tolerance of 1 mm.
- Ongoing works are improving the system accuracy increasing the number of strips and positioning precision. On the other hand, their translation into clinics needs several improvements, such as, correction algorithms for pile-up effects at therapeutic fluxes, and dedicated efficient electronics.

## Ongoing works

### 16 channel acquisitions and analysis

Measurements with proton beam in the new experimental room at CNAO (March 2nd, 2020)



## Ongoing works

### A new self-calibration method (no external data needed)

$$v_{ij}^{avg} = \frac{\Delta d_j - \Delta d_i}{TOF_j - TOF_i}$$

$$K_{1,ij}^1(x_o) \approx K_{ij}^{avg} + \left(\frac{S}{\rho} \left(K_{ij}^{avg}\right)\right)_{air} \cdot \rho_{air} \cdot \left(x_o + \frac{\Delta d_j - \Delta d_i}{2}\right)$$

$$d_{ijk}(x_o, offset) \approx v_{ij}^1(x_o) \cdot (\Delta t_k - offset)$$

$$res(x_0, offset) = \sum_{k=0}^{n-1} \sum_{j>i}^{n-1} \sum_{i=0}^{n-1} \left(\frac{d_{ijk}(x_o, offset) - x_k}{\sigma_{ijk}}\right)^2$$

$$RES(x_o, offset) = \sum_{E=K_{min}}^{K_{max}} res_E(x_0, offset)$$





### Construction and test of the final prototype



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# Thank you